

A prediction model of heterogeneous treatment effects using randomized and observational data

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One size to fit all

Network meta-analysis is often used in HTA to estimate relative effects between competing treatments

Synthesis of a network of 5 studies (3910 patients)

Compare **Dimethyl Fumarate, Glatiramer Acetate, and Natalizumab** in patients with relapsing-remitting MS

Outcome: **Relapse at 2 years (binary)**

Dimethyl fumarate	1.24 [0.84, 1.83]	-	0.71 [0.54, 0.94]
1.17 [0.84, 1.66]	Glatiramer acetate	-	0.63 [0.45, 0.89]
2.3 [1.4, 3.7]	1.95 [1.16, 3.28]	Natalizumab	0.31 [0.20, 0.46]
0.71 [0.54, 0.93]	0.60 [0.44, 0.83]	0.31 [0.20, 0.47]	Placebo

One size does not fit all

Treatment choice is (or should be) personalised

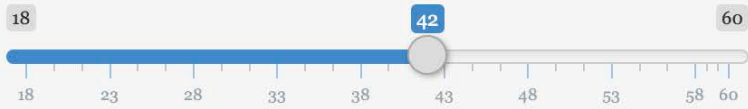
Not all patients have the same response to the same treatment

Heterogeneous Treatment Effects

Effect modification operates in many treatments and setting

So, the optimal treatment depends on patients characteristics

Age (years)



Male

White

Prior treatment

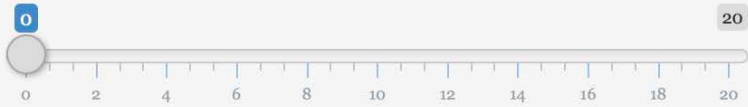
Baseline EDSS



Years since onset of symptoms



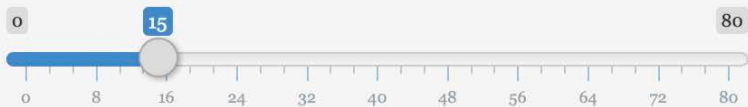
Number of relapses the last 1 year



Months since last relapse

Baseline Timed 25-Foot Walk

Baseline PASAT 3



Patient A

Predicted probabilities to relapse in two years

Dimethyl Fumarate - 25 % / Glatiramer Acetate - 28 % / Natalizumab - 27 % / Placebo - 50 %

Ranking of predicted probabilities to relapse in two years

1. The lowest probability to relapse is under treatment:

Dimethyl Fumarate with 24.8 % probability to relapse.

2. Second best choice based on the probability to relapse:

Natalizumab with 26.6 % probability to relapse.

Age (years)

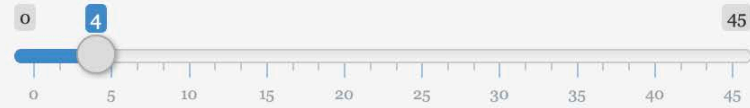


- Male
- White
- Prior treatment

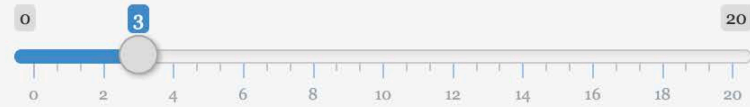
Baseline EDSS



Years since onset of symptoms



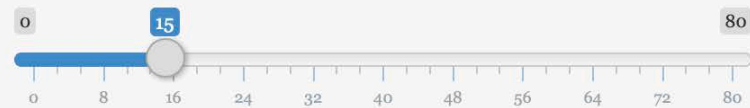
Number of relapses the last 1 year



Months since last relapse

Baseline Timed 25-Foot Walk

Baseline PASAT 3



Patient B

Predicted probabilities to relapse in two years

Dimethyl Fumarate - 71 % / Glatiramer Acetate - 75 % / Natalizumab - 58 % / Placebo - 84 %

Ranking of predicted probabilities to relapse in two years

1. The lowest probability to relapse is under treatment:

Natalizumab with 58 % probability to relapse.

2. Second best choice based on the probability to relapse:

Dimethyl Fumarate with 71.4 % probability to relapse.

One size does not fit all

Treatment choice is (or should be) personalised

Not all patients have the same response to the same treatment

Heterogeneous Treatment Effects

Effect modification operates in many treatments and setting

So, the optimal treatment depends on patients characteristics

At the population level, recommendations should be specific to subgroups and cost-effectiveness will depend on the distribution of effect modifiers within each country

Treatments

Dimethyl Fumarate

Glatiramer acetate

Natalizumab

Placebo

Predicted Outcome **A**

Predicted Outcome **B**

Predicted Outcome **C**

Predicted Outcome **D**

Relative treatment effects

Patient characteristics

IPD from RCTs

**IPD from
Observational
studies or registries**

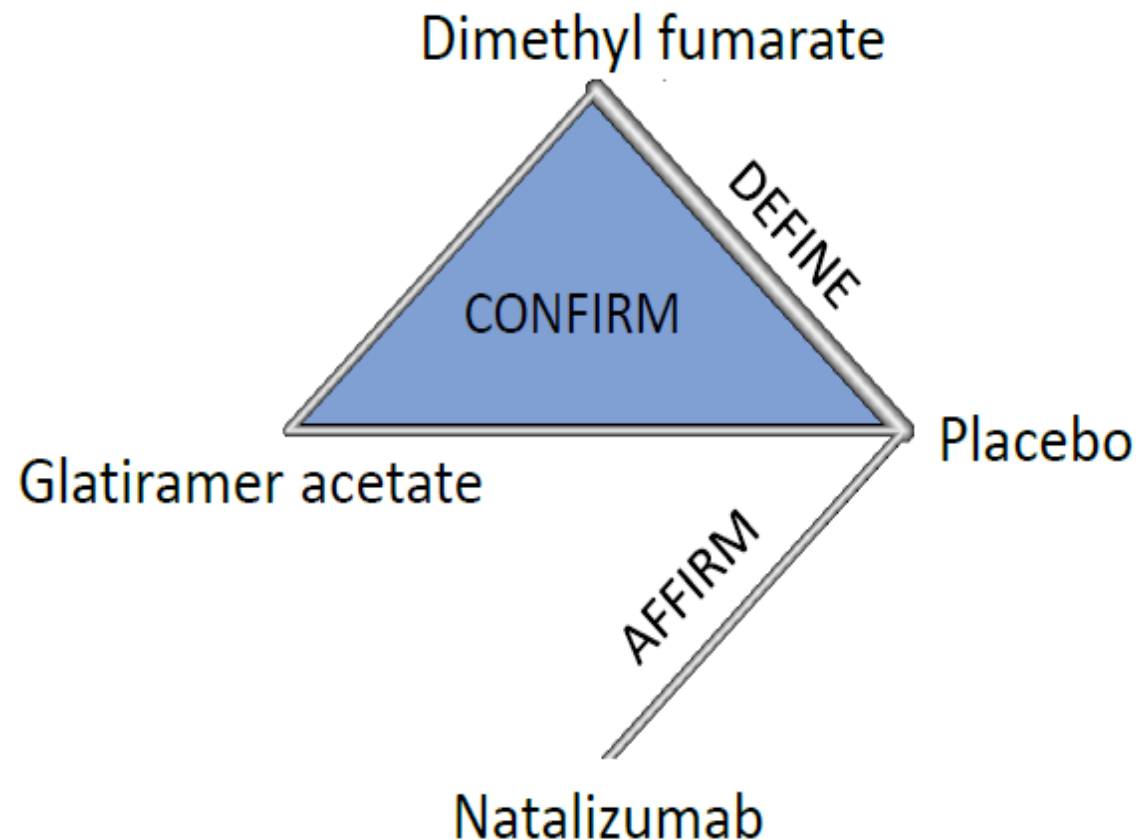
Network meta-regression methods

Prognostic modelling methods

Risk score
the probability of the outcome at baseline

RCTs

3 randomized phase III clinical trials 2990 observations in total



Data

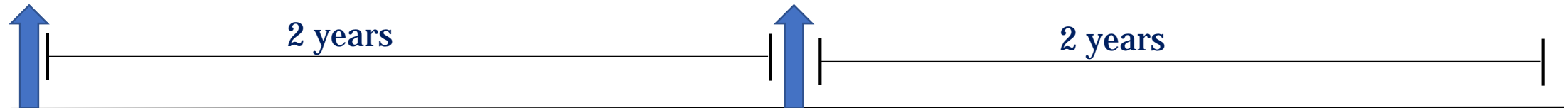
Observational data Swiss MS Cohort (SMSC)

Patients with confirmed RRMS and at least two-year follow-up period from the baseline visit date

935 patients, each one with 1, 2, or 3 treatment cycles (i.e. repeated measures)

1752 follow-up cycles

Baseline Visit



Follow-up visit 1

2 years

2 years



IPD from Observational Data SMSC

Treatments

Dimethyl
Fumarate

Glatiramer
acetate

Natalizumab

Placebo

Predicted
Outcome
A

Predicted
Outcome
B

Predicted
Outcome
C

Predicted
Outcome
D

HTE

IPD from RCTs

Prognostic model

$$h(y_i) = \beta_0 + \sum_{j=1}^n \beta_j \times PF_{ij}$$

#STAGE1

Risk score

#STAGE2

Re-calibration and re-estimation of the developed risk model and calculation of the new risk score in the RCTs dataset

Prediction model with IPD Network meta-regression using only the risk score

#STAGE3

IPD from Observational Data SMSC

Treatments

Dimethyl
Fumarate



Predicted
Outcome
A

Glatiramer
acetate



Predicted
Outcome
B

Natalizumab



Predicted
Outcome
C

Placebo



Predicted
Outcome
D

HTE

IPD from RCTs

$$h(y_i) = \beta_0 + \sum_{j=1}^n \beta_j \times PF_{ij}$$

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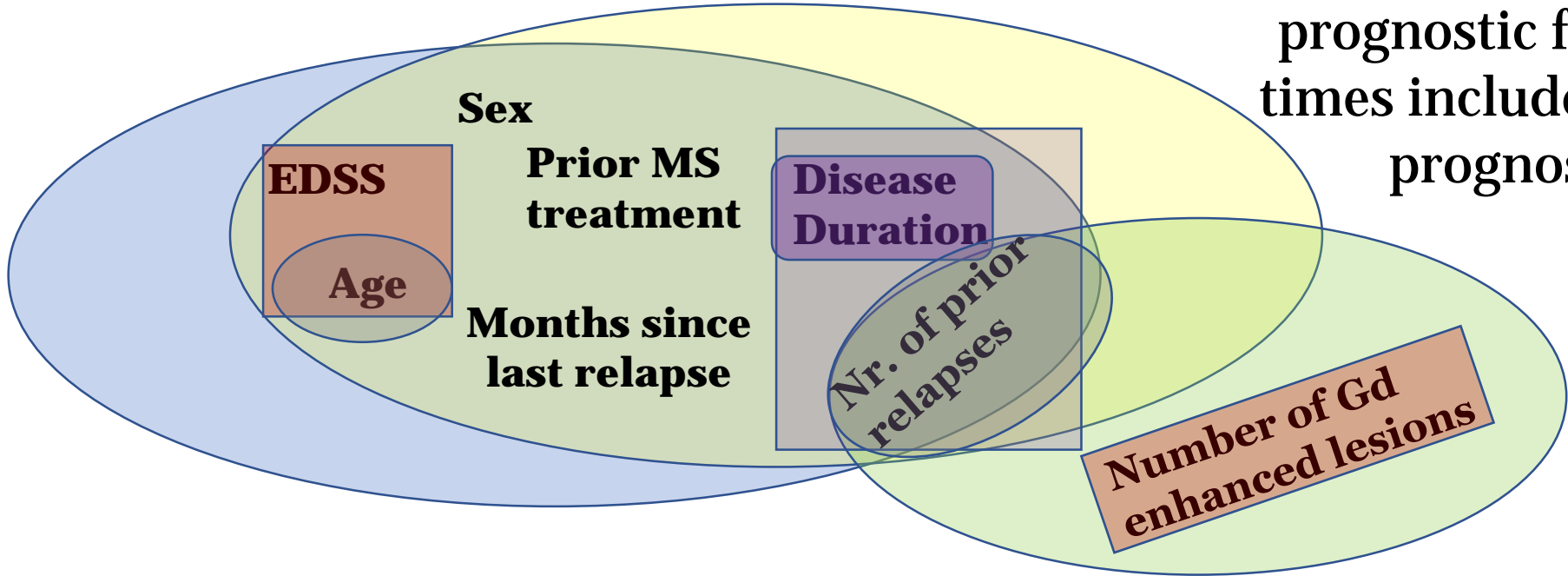
Prediction model with IPD Network meta-regression using only the risk score

#STAGE3

Stage 1: Development of the prognostic model

Step 1 - Selection of prognostic factors

8 previously identified prognostic factors (at least 2 times included in pre-existing prognostic models)



- Pellegrini
- Stühler
- Cree
- Held
- Sormani
- Signori
- Kalincik



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Stage 1: Development of the prognostic model

Step 2 – Development of the model

Logistic mixed effects model in a Bayesian framework

$$Y_{ij} \sim \text{Bernoulli}(R_{ij})$$

$$\text{logit}(R_{ij}) = \beta_0 + u_{0i} + \sum_{k=1}^P (\beta_k + u_{ki}) \times \text{PF}_{k,j}$$

Notation

i : individuals, where $i = 1, 2, \dots, N$

j : time point, where $j = 1, 2, 3$

$\text{PF}_{k,j}$: k th prognostic factor at j^{th} time point,

where $k = 1, 2, \dots, P$

β_0 : fixed effect intercept

u_{0i} : random effect intercept


β_k : fixed effect slopes of k^{th} prognostic factor

u_{ki} : the individual-level random slopes of k^{th} prognostic factor



Stage 1: Development of the prognostic model

Step 3 – Sample size efficiency

EPV = 13.7 

Recommended more than 10

Our sample size **efficient** for

- agreement between apparent and adjusted model performance 
- precise estimation of risk 

- Riley RD. et al., 2018

Our sample size **not efficient** for

- avoiding optimism 

Addressed via the **shrinkage** in the next step



Stage 1: Development of the prognostic model



Step 4 – Shrinkage of coefficients

Bayesian shrinkage methods use a prior on the regression coefficients to address the problem of overfitting in prognostic models

We used **Laplace** prior distribution on the regression coefficients to shrink the coefficients

Step 5 – Handling of Missing data

We used **Multilevel Joint Modelling Multiple Imputation** approach

We imputed 10 datasets



Stage 1: Development of the prognostic model

Step 6 - Estimated ORs

Prognostic factors	Estimations (ORs)
Intercept	0.15
Age	0.97
Disease Duration	1.38
Edss	1.12
Gd enhanced lesions	1.00
Number of previous Relapses (1 vs 0)	0.92
Number of previous Relapses (more than 2 vs 0)	1.12
Months Since Relapse	0.61
Treatment Naive	1.15
Gender	0.28
Treatment During Cycle (Yes vs No)	0.79



Stage 1: Development of the prognostic model



Step 7 – Internal validation

We used **bootstrap** internal validation approach to correct for optimism in discrimination and calibration ability of the developed model

Optimism-corrected AUC = 0.67

Optimism corrected calibration-slope = 1.00



Stage 1: Development of the prognostic model



Step 8 – R-shiny app

Prevention of relapses in patients with Relapsing-Remitting Multiple Sclerosis

Age (years)
 17 23 80
 17 24 31 38 45 52 59 66 73 80

Disease Duration (years)
 5

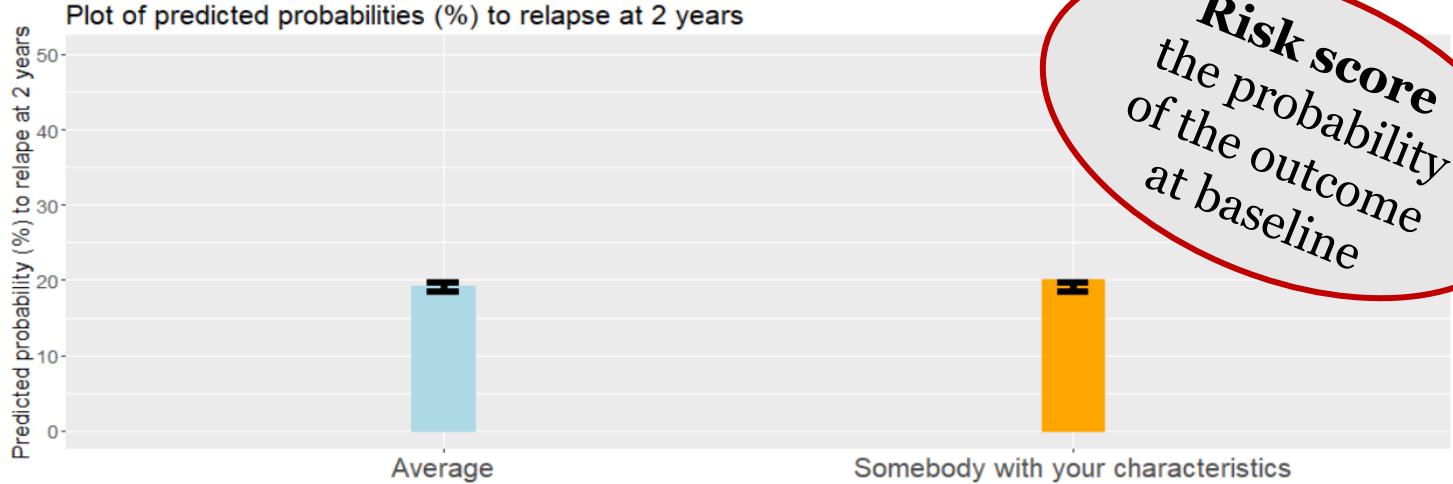
EDSS
 0 6 7
 0 1 2 3 4 5 6 7

Number of Gadolinium enhanced lesions > 0
 1 prior relapse
 2 or more prior relapses

Months since last relapse
 1

Treatment Naive
 Female

Your risk to relapse at 2 years is 20 %



Numerical Results:

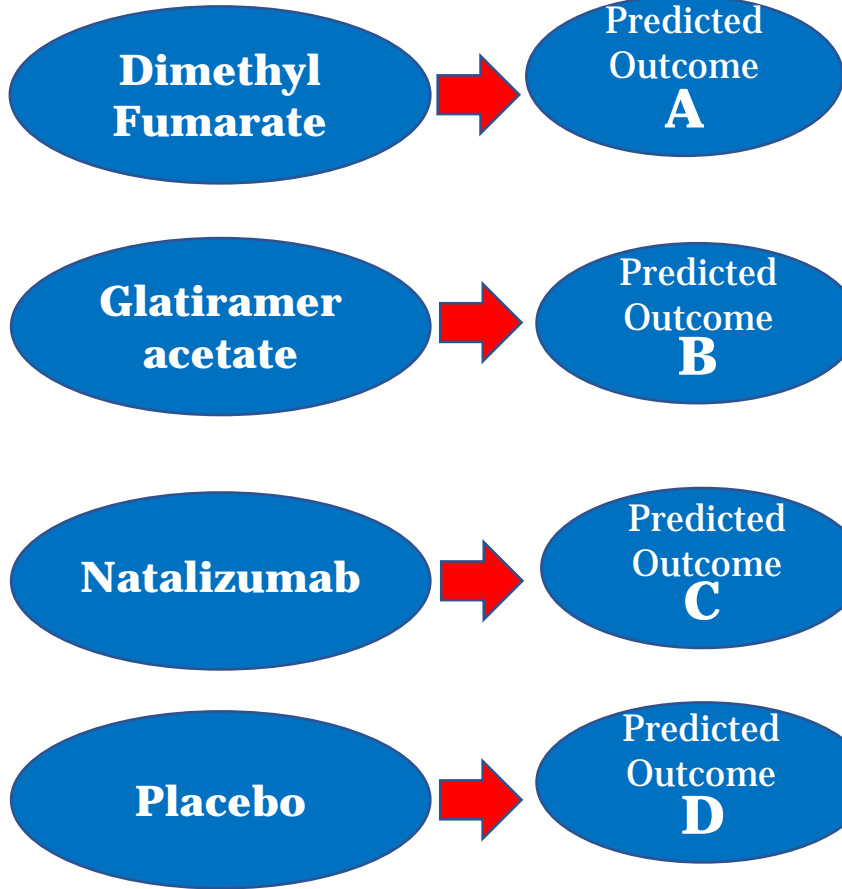
The average predicted probability (%) to relapse at 2 years is 19.2 with 95% C.I. (18.6, 19.7)
 Somebody with your characteristics has 20 % predicted probability (%) to relapse at 2 years
 Your predicted probability (%) to relapse at 2 years is 0.8000000000000001 % higher than the average



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IPD from Observational Data SMSC

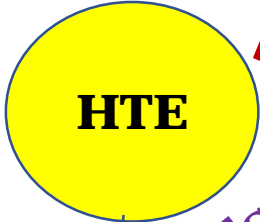
Treatments



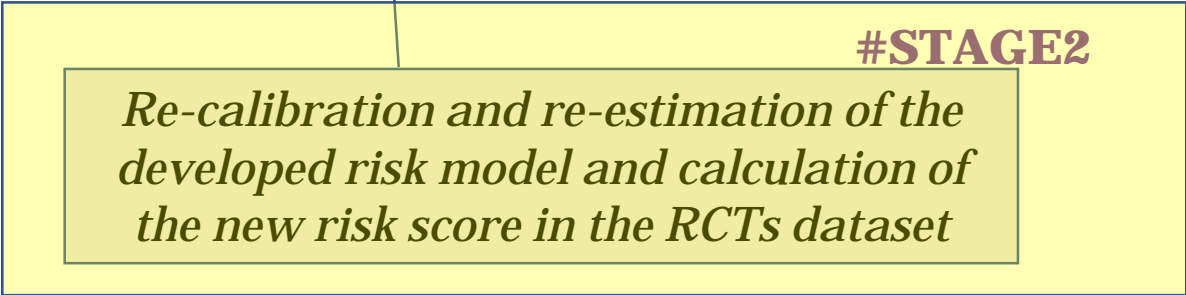
Prognostic model

$$h(y_i) = \beta_0 + \sum_{j=1}^n \beta_j \times PF_{ij}$$

#STAGE1



IPD from RCTs



#STAGE3



Stage 2: Re-calibration and re-estimation of the risk model to RCTs

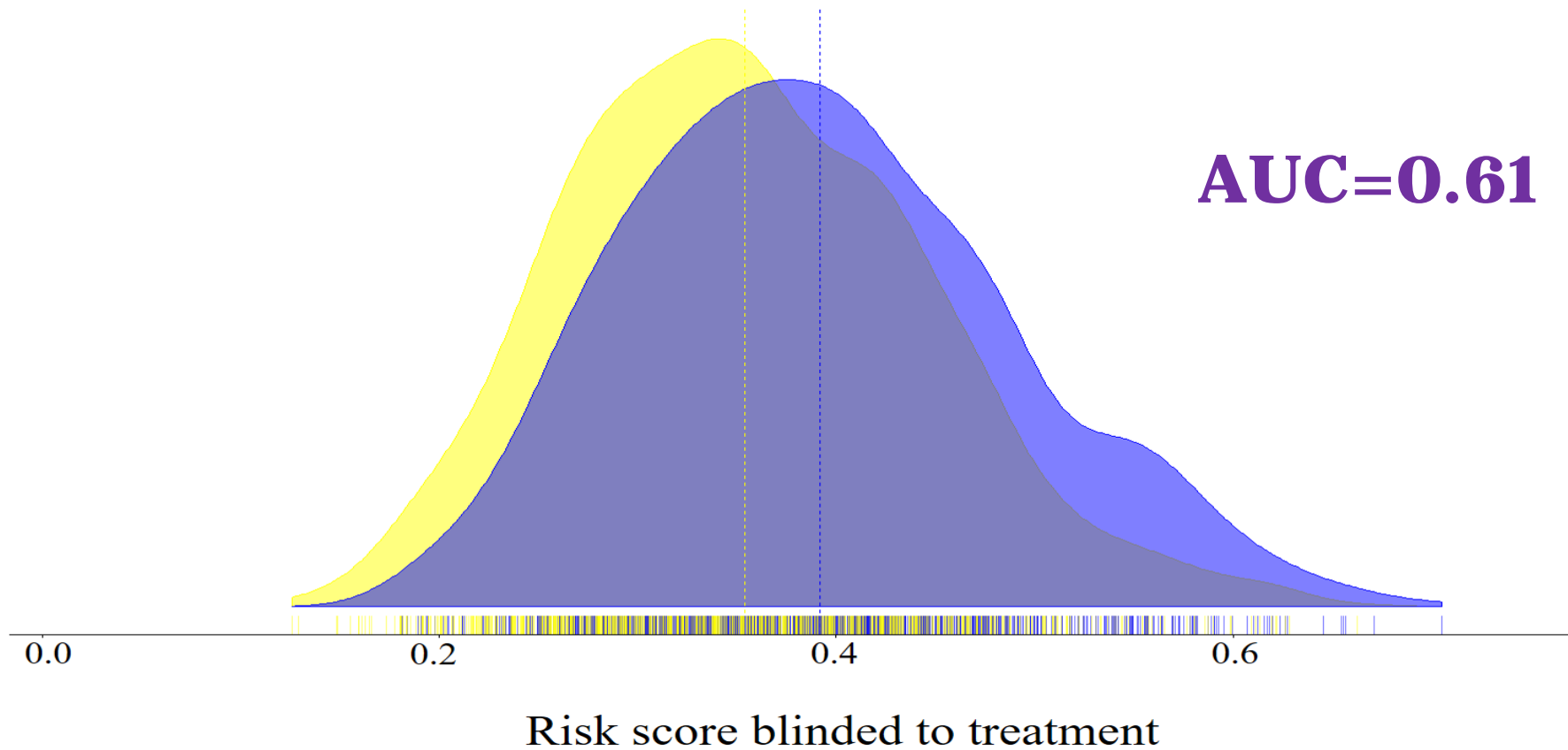
We update the model to improve predictions for new patients from the new setting (i.e. RCTs)

Methods	AUC
No Update	0.57
Update only the intercept (Re-calibration)	0.57
Update intercept and coefficients (Re-calibration)	0.57
Model revision (Re-calibration & selective re-estimation)	0.61



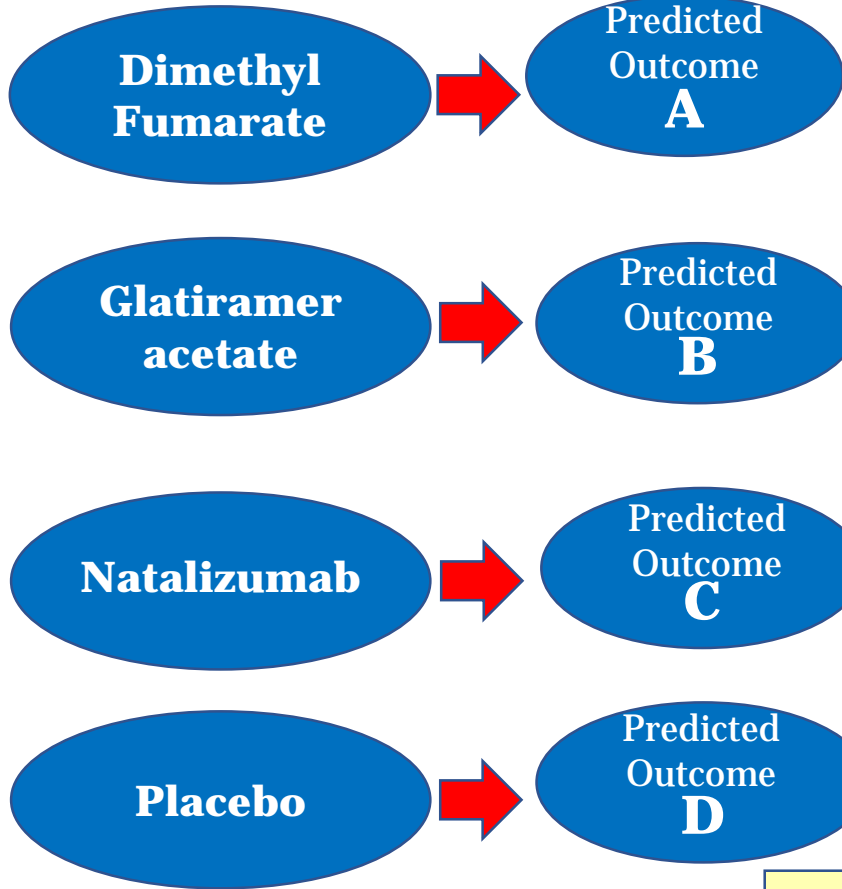
Risk of relapse in two years in RCTs

Relapse status at two years  0  1



IPD from Observational Data SMSC

Treatments



HTE

IPD from RCTs

Prognostic model

$$h(y_i) = \beta_0 + \sum_{j=1}^n \beta_j \times PF_{ij}$$

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Risk score

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Re-calibration and re-estimation of the developed risk model and calculation of the new risk score in the RCTs dataset

Prediction model with IPD Network meta-regression using only the risk score

#STAGE3

Stage 3: IPD Network Meta-regression

$$Y_{ijk} \sim \text{Bernoulli}(p_{ijk})$$

$$\text{logit}(p_{ijk}) = \begin{cases} u_j + B \times (\text{logit}R_{ij} - \overline{\text{logit}R_j}) & \text{if } k = b_j \\ u_j + D_{b_jk} + B \times (\text{logit}R_{ij} - \overline{\text{logit}R_j}) + G_{b_jk} \times (\text{logit}R_{ij} - \overline{\text{logit}R_j}), & \text{if } k \neq b_j \end{cases}$$

Notation

i : Individuals

j : study

k : treatment

b_j : baseline treatment in study j

B : Individual level covariate regression term for Risk / the impact of Risk as prognostic factor

D_{b_jk} : the treatment effect of treatment k versus **placebo** / **fixed effect**

G_{b_jk} : The interaction of treatment and risk. Different for each treatment vs study's control / the impact of Risk as effect modifier

Stage 3: IPD Network Meta-regression

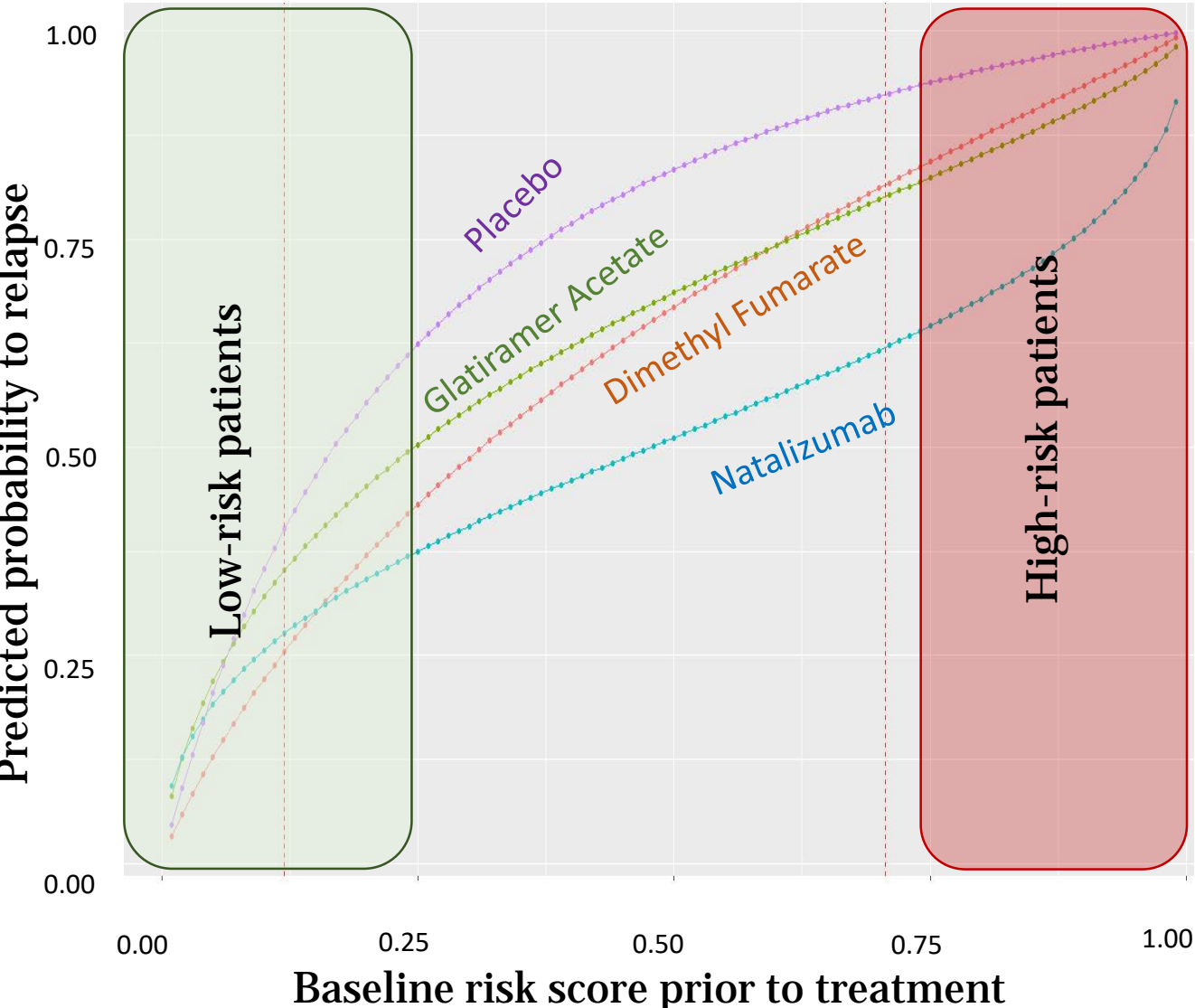
Results: Estimation of model parameters

OR for relapse for one unit increase in logit-risk in untreated patients (placebo) - **(exp(B))** = 2.7
(2.1, 3.9)

	OR for relapse versus placebo at the study mean risk (exp(D)) & 95% Cr. Intervals	OR versus placebo for one unit of increase in the logit risk (exp(G)) & 95% Cr. Intervals
Natalizumab	0.28 (0.21, 0.37)	0.60 (0.31, 1.15)
Glatiramer Acetate	0.53 (0.34, 0.78)	0.73 (0.32, 2.10)
Dimethyl Fumarate	0.43 (0.3, 0.57)	0.89 (0.50, 1.87)

Stage 3: IPD Network Meta-regression

Results: Estimation of model parameters



Treatment	Mean	Less than 25% Risk	More than 75%
Natalizumab	46%	33%	57%
Glatiramer Acetate	61%	43%	75%
Dimethyl Fumarate	57%	34%	75%

Best treatment **Natalizumab** 1% Absolute benefit compared to Dimethyl Fumarate

Best treatment **Natalizumab-28% Absolute benefit** compared to Dimethyl Fumarate

R-shiny apps

<https://cinema.ispm.unibe.ch/shinies/koms/>

Summary

We developed a new framework to combine observational data and RCTs via prognostic research and network meta-regression

This model allows *personalized predictions under several treatment options*

Modern estimation and selection methods such as shrinkage are not available in network meta-regression. Our multi-stage model enables their use.

The model needs IPD data from (some) RCTs

Extensions

We will use measures relevant to clinical usefulness to **validate the model**

We will include RCTs that have only **aggregated data**

We will include **cost-effectiveness analysis**